

SECTION A Core

1	2	3	4	5	6	7	8	9	10	11	12	13
B	E	D	C	A	C	D	C	B	B	A	B	E

SECTION B

Module 1: Number patterns and applications

1	2	3	4	5	6	7	8	9
C	D	D	C	E	B	A	C	B

Module 2: Geometry and trigonometry

1	2	3	4	5	6	7	8	9
C	C	E	B	E	A	B	B	A

Module 3: Graphs and relations

1	2	3	4	5	6	7	8	9
A	E	C	C	D	E	B	E	A

Module 4: Business-related mathematics

1	2	3	4	5	6	7	8	9
D	B	B	A	B	C	A	D	E

Module 5: Networks and decision mathematics

1	2	3	4	5	6	7	8	9
C	D	B	B	A	C	D	C	B

SECTION A Core

Q1 The speeds are already in order.

The median speed = $\frac{62.8 + 62.6}{2} = 62.7$ km/h B

Q2 7 out of 10, $\therefore \frac{7}{10} \times 100\% = 70\%$ E

Q3 The histogram has outliers and the median is on the left of the mode. D

Q4 3 out of 30, $\therefore \frac{3}{30} \times 100\% = 10\%$ C

Q5 Mean number of mobiles = $\frac{\sum xf}{\sum f}$
 $= \frac{0 \times 34 + 1 \times 78 + 2 \times 30 + 3 \times 12}{154} = 1.13$ A

Q6 6.6 is one standard deviation less than 8.8. 68% within and 32% outside (less than + more than), \therefore 16% less than 6.6 C

Q7 Smaller interquartile range, \therefore less variable, and higher median, \therefore increase rate of growth. D

Q8 Graphics calculator: $r = 0.9681$ C

Q9 Gradient of equation = 0.96 B

Q10 x-coordinates in order: 1, 2, 3, 4, 5 \therefore median x = 3.

y-coordinates in order: 0, 1, 2, 4, 5 \therefore median y = 2.

\therefore median point is (3,2). B

Q11 A seasonal index of 1.1 means 0.1 or $\frac{1}{10}$ above the yearly

average. $\therefore \frac{1}{10} \times 100\% = 10\%$. A

Q12 Share price = $1.24 + 0.06 \times 48 = 4.12$ B

Q13 Positive gradient: increasing linear trend; more fluctuations: increasing variability (volatility). E

Module 1: Number patterns and applications

Q1 Add 6 to get the next number, -5, 1, 7, 13, 19, 25, \therefore C

Q2 The first sequence has no common ratio, because

$\frac{1.11}{1.1} \neq \frac{1.111}{1.11}$, \therefore not geometric. The rest are geometric. D

Q3 $1200 : x = 3 : 5$, $\frac{1200}{x} = \frac{3}{5}$, $\therefore x = \frac{5 \times 1200}{3} = 2000$ D

Q4 The sum of the blocks in the towers forms an arithmetic series: $3 + 5 + 7 + 9 + 11 = 35$, $3 + 5 + 7 + 9 + 11 + 13 = 48$, $3 + 5 + 7 + 9 + 11 + 13 + 15 = 63$. \therefore only six towers following the pattern are possible with 50 blocks. C

Q5 $S_{\infty} = \frac{a}{1-r} = \frac{80}{1-0.75} = \frac{80}{0.25} = 320$ E

Q6 B

Q7 The terms alternate between positive and negative values with magnitude decreasing exponentially. \therefore the sequence has a negative r and $-1 < r < 0$. A

Q8 An arithmetic sequence has a common difference, i.e. $t_{n+1} - t_n = d$. When compare with $t_{n+1} - at_n = b$, $a = 1$ and b is the common difference that can be any value, say 2. C

Q9 $P_n = 2P_{n-1} - 200$, $\therefore P_{n-1} = \frac{1}{2}(P_n + 200)$.

$\therefore P_5 = \frac{1}{2}(P_6 + 200) = \frac{1}{2}(1000 + 200) = 600$ and

$P_4 = \frac{1}{2}(P_5 + 200) = \frac{1}{2}(600 + 200) = 400$. B

Module 2: Geometry and trigonometry

Q1 Area = $\frac{1}{2}(5)(10)\sin 25^\circ = 10.6$ cm². C

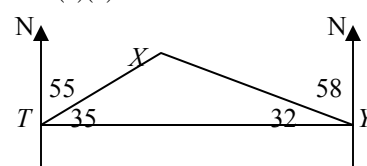
Q2 $\angle FOD = 2 \times 60^\circ = 120^\circ$ C

Q3 $CB = 2\sqrt{14^2 - 8^2} = 23.0$ m E

Q4 The cosine rule:

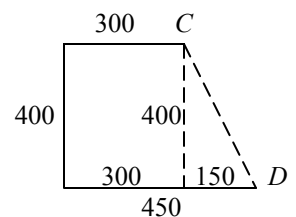
$AB = \sqrt{6^2 + 4^2 - 2(6)(4)\cos 30^\circ} = 3.2$ km B

Q5



$\angle TXY = 180 - 35 - 32 = 113^\circ$ E

Q6 $CD = \sqrt{400^2 + 150^2} = 427$ m A



Q7 The sine rule: $\frac{20}{\sin \alpha^\circ} = \frac{15}{\sin \beta^\circ}$,

$\therefore \sin \beta^\circ = \frac{15 \sin \alpha^\circ}{20} = \frac{15 \times 0.8}{20} = 0.6$ B

Q8 Enlarged area : original area
 $= 2250 : 1440 = 225 : 144 = 15^2 : 12^2$
 \therefore enlarged length : original length $= 15 : 12 = x : 36$
 $\therefore \frac{x}{36} = \frac{15}{12}, x = 45 \text{ m}$ B

Q9 $HM = \sqrt{4^2 + 2^2} = 4.4721$,
 $\tan \angle EMH = \frac{4}{4.4721}, \angle EMH = 41.8^\circ$ A

Module 3: Graphs and relations

Q1 A
 Q2 Substitute $y = -5$ in $y = -x + 5$, $-5 = -x + 5$,
 $\therefore x = 10$. The point is $(10, -5)$ E
 Q3 $3x + 5y = 0, \therefore y = -\frac{3}{5}x$,
 \therefore the line has a negative gradient. C
 Q4 Substitute the coordinates of one of the intercepts in the equation, $3(8) + 2(0) = 4k, \therefore k = 6$ C
 Q5 Charge $= 50 + 65n$ D
 Q6 Let x be the price of ice cream and y the price of drink.
 $4x + 3y = 21.40 \dots\dots(1)$
 $5x + 2y = 20.80 \dots\dots(2)$
 $5 \times (1) - 4 \times (2), 7y = 23.80, y = 3.40$ E
 Q7 Gradient $\frac{4-0}{2-0} = 2, \therefore y = 2x$ or $b = 2a^2$. B
 Q8 $P = 4x - 3y$, to maximise P , x must be as large as possible and y as small as possible. $\therefore P$ is maximum at $(120, 0)$. E
 Q9 $I = \frac{k}{d^2}, \therefore Id^2 = k = 20 \times 50^2 = 50000$.
 $I = \frac{k}{d^2}$ is not a straight line.

Since the point $(5, 2000)$ on graph A satisfies $Id^2 = 50000, \therefore$ A

Module 4: Business-related mathematics

Q1 $r = \frac{100 \times SI}{PT} = \frac{100 \times 140.38}{1200 \times 1} = 11.70$ D
 Q2 $110\% \times x = 22, 1.10x = 22, x = 20.00$ B
 Q3

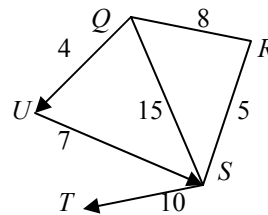
Withdrawals	Deposits	Balance
		2143.50
	2.45	2145.95
616.40		1529.55
	x	1971.75

$1529.55 + x = 1971.75, \therefore x = 442.20$ B
 Q4 Total number of boxes in two years $= 2 \times 120000 = 240000$
 Depreciated value $= 45000 - 0.05 \times 240000 = 33000$ A
 Q5 $A = PR^n - \frac{Q(R^n - 1)}{R - 1}$, where $A = 200000$,
 $P = 200000, n = 60, R = 1 + \frac{8.5}{12 \times 100} = 1.0070833$.
 $Q = 1416.67$ B

Q6 Total at end of 3rd year $= PR^n = 3000(1.065)^3 = 3623.85$
 Total at end of 4th year $= 3000(1.065)^4 = 3859.40$
 \therefore Interest in 4th year $= 3859.40 - 3623.85 = 235.55$ C
 Q7 $A = PR^n - \frac{Q(R^n - 1)}{R - 1}$, where $P = 10000, n = 16, Q = 500$,
 $R = 1 + \frac{6}{4 \times 100} = 1.015, \therefore A = 3723.67$ A
 Q8 Let P be the Monday's price.
 Friday's price $= P(110\%)(90\%)(120\%)(80\%)$
 $= P(1.1)(0.9)(1.2)(0.8) = 0.95P = 95\%P, \therefore$ 5% lower than Monday's price. D
 Q9 She has to pay interest on the missed third payment. E

Module 5: Networks and decision mathematics

Q1 $1 + 1 + 2 + 4 = 8$ C
 Q2 D
 Q3 B
 Q4 Check by adding. B
 Q5 Euler's formula: $V = E - F + 2$,
 $10 = E - 3 + 2, \therefore E = 11$.
 Number of edges removed $= 15 - 11 = 4$. A
 Q6 Maximum flow from X to Y = minimum cut.
 Cut A $= 2 + 3 + 5 + 5 + 7 = 22$
 Cut B is a wrong cut.
 Cut C $= 6 + 5 + 7 = 18$
 Cut D is a wrong cut.
 Cut E $= 6 + 18 = 24$. Cut C is a minimum. C
 Q7 D because there are 3 ways from L to M without passing through the other towns, and only one way from M back to L without passing the other towns.
 Q8 Find the critical path (the longest path) first.
 $PSVXZ = 4 + 3 + 3 + 8 + 6 = 24$
 $QTXZ = 5 + 6 + 8 + 6 = 25$
 $RUXZ = 12 + 0 + 8 + 6 = 26$
 $RWYZ = 12 + 4 + 3 + 6 = 25$
 $\therefore RUXZ$ is the critical path. A delay in activity R will cause a delay in completion of the whole project. C
 Q9



The shortest route between Q and T is
 $QUST = 4 + 7 + 10 = 21$ B

Please inform mathline@itute.com re conceptual, mathematical and/or typing errors